



### Introduction

- Transportation system disruption: system not operates with optimal efficiency
- Topological indicators, representing the structural properties of the network, fail to capture traffic dynamics
- Indicators based on direct trip information are sensitive to travel demand levels and patterns
- MFD is an intrinsic property of a homogeneously congested transportation network

#### Contributions

- Discuss and compare the traffic resilience to congestion and supply-side disruptions
- Case studies on two real networks to evaluate the extent to which topological indicators can explain traffic resilience

## Traffic resilience to disruptions

Distinct mechanisms through which congestion and supply disruptions exert influence on the system.

• **To congestion:** Transportation network is unable to efficiently serve vehicles due to the propagation of traffic congestion.

$$R^{d} = \int_{t_{0}^{d}}^{t^{d}} \left( D(t) - D_{c} \right) H(k(t) - k_{c}) \, \mathrm{d}t$$

• To supply disruptions: A "shrinkage" of the MFD is anticipated.

$$R^{s} = \int_{t_{0}^{s}}^{t^{s}} \min \left\{ D^{s}(t) - D(t), 0 \right\} \, \mathrm{d}t$$





# Traffic resilience based on macroscopic fundamental diagram: **Evaluation and the role of network topology**

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## Simulation-based synthetic supply disruptions

- (1)  $p \in [0, 1)$ : the percentage of links that are blocked due to the disruptive event
- (2) With a random seed r, a disruption scenario  $\mathbb{S}$  is created by randomly sampling the links to be closed
- (3) Topological attributes  $\mathbf{x}$  of the damaged network  $G(\mathbb{S})$
- (4) Run multiple SUMO simulations (S) with  $G(\mathbb{S})$  and demand matrix M to generate traffic dynamics  $Y(\mathbb{S})$
- (5) Estimate the traffic resilience loss  $R^{s}(\mathbb{S})$

$$p \longrightarrow \mathbb{S} \xrightarrow{r} \mathbb{K} \xrightarrow{M} M$$

Figure 2. Graphical illustration of generating scenarios for regression analysis.

### **Case studies**

- Munich, Germany: central ring network, 10 km  $\times$  10 km, 2605 links
- Kyoto, Japan: grid network, 6 km  $\times$  8 km, 1189 links



(a) Munich disruption area

Figure 3. Study areas, networks and locations of detectors.

## MFD dynamics analysis



Figure 4. MFD dynamics of the scenarios of investigation.

### $Y \longrightarrow R^s$



## **Resilience evaluation under supply disruptions**

- Robustness: Kyoto > Munich
- Redundancy: Kyoto > Munich
- Resourcefulness: No quantitative indicator
- Rapidity: Kyoto < Munich</p>
- Traffic resilience: Kyoto > Munich



(a) Munich: Supply-side disruptions

Figure 5. Traffic resilience under supply disruptions (large demand scenario).

## **Relationship between topology and resilience**

### Proposed indicators: traffic dynamics + network characteristics



Figure 6. Boxplots for Beta index and traffic resilience.

Variable	Topology Attr.	Coef. [p-value] (Kyoto)	Coef. [p-value] (Munich)
Load centrality	Centrality	-0.1016 [0.25]	-0.9778 [<0.0001]
Beta index	Connectivity	8.1062 [<0.0001]	16.6719 [<0.0001]
Kyoto model		Munich model	
# of samples: 925		# of samples: 949	
R-squared: 0.8583		R-squared: 0.7894	

- supply-side disruptions on traffic resilience
- significant attribute of traffic resilience



#### Conclusions

#### Different influencing mechanisms of congestion and

 Kyoto's grid-like network demonstrates greater resilience to supply-side disruptions compared to Munich's ring structure Network connectivity emerged as the most correlated and